

KUZNETSOV, N.M., inzhener.

Efficiency suggestions. Dum.prom.31 no.3:25-26 Mr '56. (MLRA 9:7)  
(Papermaking machinery)

KUZNETSOV, N. <sup>M</sup>, inzh.; SUKHAREVA, R.A., red.; GARNUKHIN, Ye.K.,  
tekhn. red.

[Collection of inventions; woodpulp and paper industries]  
Sbornik izobretenii; tselliuloznaia i bumazhnaia promysh-  
lennost'. Moskva, TSentr. biuro tekhn.informatsii, 1961.  
90 p. (MIRA 15:7)

1. Russia (1923- U.S.S.R.) Komitet po delam izobreteniy i  
otkrytiy.

(Woodpulp industry--Equipment and supplies)  
(Paper industry--Equipment and supplies)

KUZNETSOV, N.M., starshiy instruktor peredovykh metodov truda

Device for cutting slab joints. Sbor.mat.o nov. tekhn. stroi.  
17 no.6:30 '55. (MIRA 8:9)

(Concrete slabs)

ALTUNDZHI, Sergey Vladimirovich; BUKHARIN, Viktor Vladimirovich;  
DOBKINA, Yevgeniya Abramovna; KUZNETSOV, Nikolay Mikhaylo-  
vich, inzh.; POPOVA, Kseniya Georgiyevna; ~~TSIKOV, Aleksandr~~  
Dmitriyevich; FRADIN, Leon Romanovich; BAYL'KES, I.TS.,  
doktor tekhn.nauk, retsenzent; SKIRSTYMONSKIY, A.I., inzh.,  
retsenzent; PRITYKINA, L.A., red.; SOKOLOVA, I.A., tekhn.red.

[Production and use of liquid carbonic acid] Proizvodstvo i  
primeneniye zhidkoi uglekisloty. Moskva, Pishchepromizdat,  
1959. 207 p. (MIRA 13:2)

(Carbonic acid)

KUZNETSOV, Nikolay Mikhailovich; LEBEDEV, Mikhail Alekseyevich;  
YEFREMOV, V.S., nauchnyy red.; VLASOVA, Z.V., red.; TSAL, R.K.,  
tekh.n.red.

[Combustion chambers of marine boilers operating on oil] Topochnye  
ustroistva sudovykh parovykh kotlov s neftyanym otopeniem. Lenin-  
grad, Gos.soiuznoe izd-vo sudostroit.promyshl., 1959. 206 p.  
(Boilers, Marine) (MIRA 14:1)

5.4300 1142, 1160 only  
10.6121 2615 2207 only

84312

S/170/60/003/009/003/020  
B019/B060

AUTHOR: Kuznetsov, N. M.TITLE: The Structure of Shock Waves in the Air Taking the Kinetics of Chemical Reactions Into Account

PERIODICAL: Inzhenerno-fizicheskiy zhurnal, 1960, Vol. 3, No. 9, pp. 17-24

TEXT: The author studied the dissociation zone and the chemical reaction zone in the air, the relaxation of intramolecular oscillations being assumed to stop altogether at the moment when dissociation begins. Such reactions as are likely to occur in the shock wave in rarefied air are discussed first, and formula (9) is given for a description of temperature in the shock-wave front at those intensities, at which nitrogen is not yet practically dissociated. The author then deals with that range of shock-wave intensity, where  $O_2$  is completely, and  $N_2$  is partially dissociated. Formulas similar to (9) are derived. On the strength of formulas obtained here, a graph (Fig. 1) is given to illustrate the temperature behind the shock wave as a function of the distance from the front, and

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The Structure of Shock Waves in the Air Taking S/170/60/003/009/003/020  
the Kinetics of Chemical Reactions Into B019/B060  
Account

another graph (Fig. 2) shows the temperature as a function of the time during which the particles remain behind the shock-wave front. Finally, the distribution of concentration of air components is examined. It is stated as a general conclusion that the temperature in the nonequilibrium region can be determined with sufficient accuracy from the concentration of oxygen and nitrogen molecules. The time until establishment of equilibrium at low temperatures is determined from the dissociation rate of oxygen. At high initial temperatures this time is determined from the dissociation rate of oxygen, nitrogen oxide, and the rate of reaction  $\text{NO} + \text{O} \rightarrow \text{N} + \text{O}_2$ . The concentration distribution of nitrogen oxide behind the wave front can be obtained from the temperature profile. Frank-Kamenetskiy is mentioned. The author thanks V. N. Kondrat'yev, Yu. S. Sayasov, and A. S. Kompaneyets for their discussions and interest displayed. There are 2 figures and 3 references: 1 Soviet and 2 US.

SUBMITTED: May 3, 1960

Card 2/2

84725

10.8000 only 23.7, 2407

10.6121

26.2311

S/057/60/030/010/004/019  
B013/B063

AUTHORS: Skvortsov, Yu. V., Komel'kov, V. S., and Kuznetsov, N. M.

TITLE: Expansion of a Spark Channel in a Liquid

PERIODICAL: Zhurnal tekhnicheskoy fiziki, 1960, Vol. 30, No. 10,  
pp. 1165-1177

TEXT: The work reported on here was conducted in the years from 1956 to 1958 and dealt with initial stages of expansion of a strong spark channel after breakdown. The electric circuit of the experimental setup (Fig. 2) is shown in Fig. 1, its design has been described in Ref. 6. Figs. 3 and 4 provide examples of oscillograms of voltage and discharge current. Some of the results obtained from the oscillograms are collected in Table 1. Oscillograms of current  $I(t)$  and voltage  $V(t)$  permit calculating the energy  $W$  liberated at a given instant:  $W(t) = \int_0^t I(t)V(t)dt$ .

Results obtained by such a calculation are given in Fig. 5 a,b; Fig. 6 illustrates the dependence of the initial rate of energy liberation  $W_n$  on the initial gradient  $i$  of the current. Fig. 7 shows the time dependence

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## Expansion of a Spark Channel in a Liquid

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of current density  $j$  ( $\text{a/cm}^2$ ), Fig. 8 that of conductivity. The discharge pictures of Figs. 9 and 10 show three characteristic sections, namely, the spark channel, the shock wave front, and an intermediate region. Minor perturbations propagating from the channel to the shock wave front are distinctly discernible in the latter. The dependence of the channel radius  $r_k$  on time is shown in Figs. 9 and 11, while the modification of the radius of the shock wave front  $r_f$  in time is shown in Fig. 12. Table 2 contains values of  $V_k$  (expansion of discharge channel) and  $D$  (rate of motion of shock wave front) for various growths of current. A striking aspect is the little dependence of these quantities on the initial conditions in the discharge chain. Experiments have shown that the energy liberated in the spark channel, the pressure and the expansion rate of the channel, the velocity of the shock wave arising on a discharge in a liquid, mainly depend on the parameters of the discharge chain. The initial gradients in the channel attain  $10^4$  v/cm. Energy liberation is protracted over the whole half-period, and attains  $2.5 \cdot 10^4$  joules at  $\dot{I} = 2.10$  a/sec and  $t = \frac{T}{4}$ . At a steeper growth of current, the energy maximum in the unit volume of the channel shifts with time toward the beginning of spark

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Expansion of a Spark Channel in a Liquid

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development. It amounts to  $10^4$  joule/cm<sup>3</sup> for the mentioned parameters. Due to persistent energy liberation, the rates at which the channel expands and the shock wave propagates remain the same during 1 - 2 half-periods of the discharge current. The present paper gives a hydrodynamic calculation for the pressure field and for the velocities behind the shock wave front (Figs. 13, 14). At  $W_n = 3 \cdot 10^9$  joule/sec the peak pressure is  $2.8 \cdot 10^4$  in the channel, and  $2 \cdot 10^4$  atmospheres at the shock wave front. According to rough estimations the gas temperature in the channel attains several tens of thousands of degrees. The temperature peak in time shifts toward the beginning of discharge on a steeper growth of current. Fig. 15 shows the dependence of energy  $W$  released in the channel (joule/cm<sup>3</sup>) on time. The authors thank M. V. Zol'nikov, V. N. Dudorov, and P. T. Shevtsov for their assistance in the experiments. There are 15 figures, 2 table, and 10 references: 8 Soviet.

SUBMITTED: April 21, 1960

Card 3/3

KUZNETSOV, N.M. (Moskva)

Equation of state and heat capacity of water in a wide range  
of thermodynamic parameters. PMTF no.1:112-120 Ja - F '61.

(MIRA 14:6)

(Equation of state) (Heat capacity) (Water--Thermal properties)

1.1210

31644  
S/207/61/000/006/021/025  
A001/A101

AUTHORS: Anisimov, S. I., Kuznetsov, N. M. (Minsk, Moscow)

TITLE: Self-modeling problem of strong explosion in water

PERIODICAL: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 6, 1961,  
167-168

TEXT: The authors consider the self-modeling problem of strong explosion for the case when disturbed motion is spherically symmetric and temperature  $T_2$  (at the shock wave front) exceeds considerably 3,000°K. The equation system of central-symmetrical adiabatic motion in partial derivatives is transformed into a system of ordinary differential equations and its order is lowered by using integrals of energy and adiabaticity following from the self-modeling nature of the motion (investigation of self-modeling solution was conducted by N. N. Kochina and N. S. Mel'nikov) and, after transformations, one differential equation of the first order is obtained. This equation is integrated numerically and the results for velocities, pressures and densities as functions of distances traveled by the shock wave are tabulated and presented graphically. An equation is derived which enables one to calculate the distance  $r_2$  traveled by the shock

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Self-modeling problem of strong explosion ...

31644  
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A001/A101

wave, for which the self-modeling solution is applicable with sufficient accuracy:

$$T_2 = 0.22 \times 10^{-8} \frac{E}{r_2^3} \quad (11) \quad \checkmark$$

where E is full energy of explosion. There are 1 figure, 1 table and 3 Soviet-bloc references.

SUBMITTED: August 28, 1961

Card 2/2

11.8200

26335  
S/076/61/035/007/004/019  
B127/B208

AUTHOR: Kuznetsov, N. M.

TITLE: Equation of state of the products of Hexogen detonation

PERIODICAL: Zhurnal fizicheskoy khimii, v. 35, no. 7, 1961, 1430 - 1434

TEXT: At low charge densities ( $\rho_1 \leq 0.5 \text{ g/cm}^3$ ) the particles of the detonation may be described by the equation of state of real gases. At high densities they may be regarded as solids and the Landau-Stanyukovich equation  $p = A\rho^n + B\rho T$  may be used approximatively. A, B, n are constants, p is the pressure,  $\rho$  the density and T the temperature. The author assumes a linear temperature dependence of energy and pressure of the detonation products:  $p = p_y(\rho) + B(\rho)\rho T$  (2) and  $E = E_0 + E_y(\rho) + C_v T$  (3).  $E_0$  is a constant,  $C_v$  the specific heat at constant volume. By means of the values D,  $q$  and u at the front of the detonation wave the density  $\rho_2$ , the pressure  $p_2$ , the energy  $E_2$  and the sound velocity  $C_2$  at the Jouguet point may be determined.

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Equation of state ....

terminated from the following equations:  $D = u/(1 - \rho_1/\rho)$ ,  $p = \rho_1 D^2 (1 - \rho_1/\rho)$ ,  
 $E_2 = u^2/2 + Q$ ,  $C_2 = D - u$ .  $T$  eliminated from (2) and (3) gives  
 $p = p_y + \rho \mu(E - E_0 - E_y)$  (4). From  $E = \int [p - T (\frac{\partial p}{\partial T})_\rho] \frac{d\rho}{\rho^2} + f(T)$  follows  
 $E_y = \int \frac{p_y}{\rho^2} d\rho$  and  $f(T) = \int C_v dT - E_0 + C_v T$  (5). If the specific heat  
 constant at all temperatures,  $E_0 = 0$ .  $\frac{p}{\rho} = \frac{p_y}{\rho} + \mu(E - \int \frac{p_y}{\rho^2} d\rho - E_0)$  (6)  
 is then obtained from (4) and (5).  $Tds/d\rho$  is determined from

$Tds = dE - \frac{p}{\rho^2} d\rho$ . It follows  $\mu(\rho) - \mu_2(\rho) = \frac{p'_2 - C_2^2}{(\rho E')_2 - p_2/\rho_2}$  (8). The  
 variable  $y = p/\rho - p_y/\rho$  is substituted in (6):  $E - E_0 - \int \frac{p}{\rho^2} d\rho + \int \frac{y}{\rho} d\rho = \frac{y}{\mu}$  (9)  
 (9) is differentiated with respect to  $p_2 = p_2(\rho)$ , and gives after further  
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Equation of state ...

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reduction  $y_2 = \mu \exp \left\{ \int \frac{r}{\rho} d\rho \right\} \left[ \exp \left\{ - \int \frac{r}{\rho} d\rho \right\} \left( E'_2 - \frac{p_2}{\rho^2} \right) d\rho + C_1 \right]$ . At  $T = 0$  in the liquid phase the density of the detonation products equals  $\rho = \rho_0$  at which  $p_y = 0$ . At sufficiently low temperatures, they practically exist only in the liquid phase. The mean density  $\rho_0$  was determined to be  $0.82 \text{ g/cm}^3$  with an error of 5-10%. Basing on the experimental results by A. N. Dremin and Yu. Lebedev the author arrived at the following relations:  $u = D/3.6$ ,  $D = 2.58 + 3.47 \rho_1$  for  $1.2 < \rho_1 < 1.8$ ;  $Q = 1204 + 172 \rho_1$  for  $0.5 < \rho_1 < 1.8$ . The results of calculation are presented in Table 2. It may be seen from the results that the thermal pressure  $p_t$  and an "elastic" pressure  $p_y$  are equal at  $\rho \sim 1.3 \text{ g/cm}^3$ .  $p_t \gg p_y$  for  $\rho \sim 0.9 \text{ g/cm}^3$ ,  $p_t \ll p_y$  for  $\rho \sim 2.0 \text{ g/cm}^3$ . The solid-state model is applicable when  $\rho \sim 2 \text{ g/cm}^3$ ; when  $\rho \sim 1 \text{ g/cm}^3$ , the products of Hexogen detonation may be regarded as gas. In the latter case the specific heat of the detonation products may be determined by statistical ideal-gas formulas, the innermo-

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Equation of state ...

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molecular vibrations being taken into account. This calculation is not only applicable to detonation products, but also to other substances, e.g., metals. There are 3 tables and 5 references: 3 Soviet-bloc and 2 non-Soviet-bloc. The reference to English-language publication reads as follows: C. Hodgman, Handbook of Chemistry and Physics. 33rd edition.

ASSOCIATION: Akademiya nauk SSSR Institute khimicheskoy fiziki (Academy of Sciences, Physicochemical Institute)

SUBMITTED: March 27, 1959

Table 2, Legend: 1)  $\rho$ , g/cm<sup>3</sup>

2)  $y_2 \cdot 10^{-3}$  kg·cm/g

3)  $p_y/\rho \cdot 10^{-3}$  kg·cm/g

4)  $p_2/\rho^2 \cdot 10^{-3}$  kg·cm/g

5) E cal/g

6)  $\int_{0.8}^{\rho} \frac{p_y}{\rho^2} d\rho$  cal/g

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B117/B138

11.6300

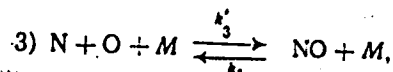
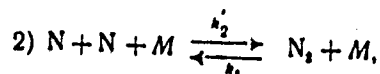
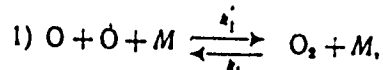
10.1220

AUTHOR: Kuznetsov, N. M.

TITLE: Kinetics of chemical reactions in expanding air

PERIODICAL: Inzhenerno-fizicheskiy zhurnal, <sup>V 5</sup> no. 6, 1962, 97 - 101

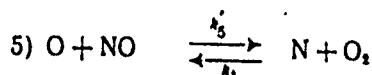
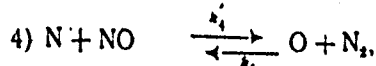
TEXT: The problem of a flow round a blunt body moving at hypersonic speed in the atmosphere was dealt with. Earlier papers (R. Duff, N. Davidson, J. Chem. Phys., 31, no. 4, 1018, 1959; author, IFZh, no. 9, 1960) investigated the zonal structure of non-equilibrium chemical reactions in the shock wave, and admissible simplifications:



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Kinetics of chemical reactions ...

S/170/62/000/006/010/011  
B117/B138



It was shown in the present paper that the equations for chemical kinetics in expanding air can be much simplified and expressed in the form of a simple differential equation of the first order as well as algebraic equations. Such a single differential equation was derived from an analysis of the recombination of nitrogen:

$$\frac{d\beta}{dt} = n \left( k_2 + \frac{\alpha_A}{\beta_A} k_3 + \frac{\alpha_A^2}{\beta_A^2} k_1 \right) (n_0 \beta_A^2 - K_2 \beta). \quad (6).$$

Concentrations of other components can be determined from the equations:

$\gamma\beta_A/\beta\alpha_A = K_4$  (1) and  $\alpha\beta_A^2/\alpha_A^2\beta = K_6$  (3) or from  $\alpha\beta_A/\gamma\alpha_A = K_5$  (2) and (3), and from the conditions for the conservation of the original air composition  $2\alpha + \alpha_A + \gamma = 0.42$ ,  $2\beta + \beta_A + \gamma = 1.58$  (7). Composition as-

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Kinetics of chemical reactions ....

S/170/62/000/006/010/011  
B117/B138

sumed: 79 % nitrogen and 21 % oxygen. It is essential for the dynamics of flow that oxygen may recombine after almost complete nitrogen recombination when the expanding air is sufficiently cooled:

$d\alpha/dt = k_1 n (n_{O_A}^2 - K_1 \alpha)$  (9). The other concentrations can be determined

from (1), (3), and (7). Finally, the case is discussed when the flow is not affected by chemical reactions, and the problem of flow round a body and the determination of gas-component concentrations have to be treated separately, i. e., when reactions (4) and (5) are not "quasi-equilibrium" and reactions (1), (2), and (3) are "frozen". In this case, Eq. (1) and (2) are not fulfilled. The approximation described is useful if the gas dynamics is noticeably affected by the chemical kinetics. Symbols used in the paper:  $M$  = any particle;  $n$  = number of moles per unit volume; component concentrations:  $\alpha = O_2$ ;  $\beta = N_2$ ;  $\alpha_A = O$ ;  $\beta_A = N$ ;  $\gamma = NO$ ;

$K_1 - K_5$  = equilibrium constants of reactions (1) - (5);  $K_6$  = constant of chemical equilibrium of the total reaction  $N_2 + 2O \rightleftharpoons 2N + O_2$ , which is in quasi-equilibrium.

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Kinetics of chemical reactions ...

S/170/62/COO/006/010/011  
B117/B138

ASSOCIATION: Institut khimicheskoy fiziki  
of Chemical Physics AS USSR, SSSR, g. Moskva (Institute  
now)

SUBMITTED: August 25, 1961

X

Card 4/4

EW-1087-65 EWT(1)/EWP(m)/EWA(h)/FCS(k) 21-1/11-1

AP500.876

S/027/64/000/005/0140/0141

Kuznetsov, N. M. (Moscow)

The structure of shock waves at first order phase transitions

Uspekhi prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 5, 1964, 140-141

shock wave, phase transition, thermodynamic equilibrium, adiabatic

The author examines the qualitative character of shock-wave structure in the case when  $\Delta p < 0$ , where  $\Delta p$  is the pressure difference between the "frozen" and "thawed" branches of the shock adiabat curve.

shock waves, since  $\Delta p$  is always negative. The point defining the state of the medium in the  $pV$  plane shifts along a chord of the curve. The density and pressure decrease. Figure 1 shows this behavior.

the case of two-wave configuration. The point defining the state of the medium in the  $pV$  plane shifts along a chord of the curve. The density and pressure decrease. Figure 1 shows this behavior.

1

REF: AP5002876

REF: none

DATE TEL: 27Dec63

ENCL: 02

SUB CODE: ME

NO REF SOV: 005

OTHER: 001

Card 2/4

ACCESSION NR: AP4037640

S/0096/64/000/006/0055/0056

AUTHOR: Kuznetsov, N. M. (Doctor of technical sciences, Professor); Burakov, B. A. (Candidate of technical sciences)

TITLE: Investigation of critical heat flows during boiling of a diphenyl mixture in a large volume

SOURCE: Teploenergetika, no. 6, 1964, 55-56

TOPIC TAGS: diphenyl mixture, critical heat flow, boiling crisis, critical thermal load

ABSTRACT: The authors used pressure ranges from atmospheric to critical to study formation of the crisis in vertical stainless steel tubes having an I.D. of 4 mm, an O.D. of 6 mm, and 150-300 mm lengths. The tubes were installed along the axes of a vertical cylindrical drum, having a diameter of 180 mm and a length of 800 mm, filled with the diphenyl mixture. The mixture was given a dependence of  $q_{crit}=f(p)$  which was obtained by the following formula:

$$q_{crit} = 3.72 \cdot 10^4 p_{crit} \left( \frac{p}{p_{crit}} \right)^{0.35} \left( 1 - \frac{p}{p_{crit}} \right)^{0.9} w/m^2 \quad (1)$$

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ACCESSION NR: AP4037640

Curves are shown which compare the authors' results with those of other investigators who used other organic mixtures; the results were essentially the same.  
Orig. art. has: 1 formula and 2 figures.

ASSOCIATION: none

SUBMITTED: 00

SUB CODE: TD

DATE ACQ: 22Jun64

NO REF SOV: 004

ENCL: 00

OTHER: 001

Card 2/2



APPROSSION NR: AP4042459

are used and their temperature dependences taken into account. The kinetics of the excitation of the molecular oscillations of the nitrogen is allowed for and the calculations are made over the entire interval of the parameters of the shock wave. The chemical kinetics extends to the case of influence on the structure. Another difference is that account of the non-Monotonic temperature behind the front of the shock wave. The results are obtained by numerically integrating the equations of the excitation kinetics and the relaxation equation for the excitation of molecular vibrations of nitrogen. The extrema of pressure and density in the structure of the wave and discussed in light of the experimental results obtained by others. The results of the calculations found to be satisfactory. Agreement with the previously published work is one of the authors (Kuznetsov, 1972; 1973; 1974; 1975; 1976) and by a different author (Kuznetsov, 1972; 1973; 1974; 1975; 1976) appear most pronouncedly at high temperatures.

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ACCESSION NR: AP4042459

about 20% for the temperature distribution. The discrepancies are attributed essentially to the allowance for vibrational relaxation. This art. has: 2 figures, 6 formulas, and 1 table.

ASSOCIATION: Institut Khimicheskoy fiziki, Academy of Sciences of Chemical Physics, Academy of Sciences of the USSR (Institut Khimicheskoy fiziki, Akademiya Nauk SSSR (Institute of Chemical Physics, Academy of Sciences of the USSR)

NP R&F SOV.

THIS

ACCESSION NR: AP4028949

S/0057/64/034/004/0624/0629

AUTHOR: Kuznetsov, N.M.

TITLE: Influence of radiation on the ionization structure of a shock wave

SOURCE: Zhurnal tekhnicheskoy fiziki, v.34, no.4, 1964, 624-629

TOPIC TAGS: shock wave, ionization, shock wave ionization, electron avalanche ionization mechanism, recombination radiation absorption ionization

ABSTRACT: In this paper the kinetics of approach to ionization equilibrium in a hot gas is discussed, and the non-equilibrium region behind a shock front is considered in the light of the results obtained. Only two ionization mechanisms are considered: the electron avalanche mechanism discussed by H.Petschek and S.Byron (Ann. Phys.1,270,1957), and ionization by absorption of recombination radiation produced in the more highly ionized regions. The gas is regarded as filling all space, and the relative ionization is assumed to depend only on the one Cartesian coordinate  $x$  and to fall monotonically from the equilibrium value at  $x = -\infty$  to zero at  $x = +\infty$ . The electron avalanche process is rapid when the relative ionization is sufficiently great (about  $10^{-3}$  or more), but it is very slow for low values of the ionization.

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At large negative values of  $x$ , therefore, ionization will proceed almost entirely by the avalanche mechanism, whereas at large positive values of  $x$  it will be the result of other mechanisms, of which only recombination radiation absorption is considered. Somewhere between there will be a neutral plane or ionization front, at which ionization by the two mechanisms takes place at the same rate. As ionization proceeds, this ionization front will move in the positive  $x$  direction. The propagation velocity of the ionization front is calculated. It is assumed for simplicity that only the avalanche mechanism is effective to the left of the ionization front and only approximations of a purely mathematical nature are introduced. The rate of ionization by the avalanche process is taken from Petschek and Byron (loc.cit.) and the rate of production of recombination radiation is calculated from its absorption cross section (for a hydrogen-like atom) by the principle of detailed balance with the assumption that in non-equilibrium conditions it is proportional to the square of the electron density. The velocity of the ionization front is found to depend on the temperature, density, molecular weight, and ionization potential of the gas, and on a coefficient given by Petschek and Byron that determines the rate of the avalanche process. The nature of the non-equilibrium region behind a shock wave is determined by the relative velocity of the ionization front and the shock front. If the ionization front would propagate more rapidly in an infinite gas than the shock

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ACCESSION NR: AP4028949

front, it cannot lag behind the shock front by more than about a radiation absorption length, and the present mechanism determines the structure of the non-equilibrium region. In this case the width of the non-equilibrium region is about  $1/100d$  cm, where  $d$  is the density of the gas in units of its density at standard conditions. If the shock front propagates more rapidly than the ionization front, the present mechanism is not capable of establishing steady conditions, and the structure of the non-equilibrium region will be determined by other ionization mechanisms not considered here. For hydrogen, the critical temperature at which the velocity of the ionization front becomes equal to that of the shock front is  $2.4 \times 10^4$  °K for  $d = 1$ , and  $10^4$  °K for  $d = 10^{-4}$ . Orig.art.has: 36 formulas.

ASSOCIATION: Institut khimicheskoy fiziki, Moscow (Institute of Chemical Physics)

SUBMITTED: 28Feb63

DATE ACQ: 28Apr64

ENCL: 00

SUB CODE: PH

NR REF SOV: 003

OTHER: 002

Card 3/3

KUZNETSOV, N.M.

Break of shock adiabat in the phase transition of the first kind.  
Dokl. AN SSSR 155 no.1:156-159 Mr '64. (MIRA 17:4)

1. Institut khimicheskoy fiziki AN SSSR. Predstavleno  
akademikom V.N.Kondrat'yevym.

1. 46170-65 EWT(1)/EPA(s)-2/EWT(m)/EPP(n)-2/T/EWP(t)/EPC(h)-2/EWP(h)/EWA(c)

ON VP: A1 112/0114

ATTN: Kuznetsov, N. M. (Moscow)

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E

concerning the kinetics of the reaction of the

crystallization of the polymer

the reaction of the polymer

in view of the difficulty of determining the rate of crystallization in crys-

talization of the polymer the rate of crystallization is determined by the

rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

the rate of melting of a single crystal of the polymer

IN NF: APS000654

... to equalize

... in the conclusion that the calculations yield an upper bound

SUBMITTED: 230400Z

Card 2/2

ACC NR: AP6003585 (N) SOURCE CODE: UR/0170/66/010/001/0064/0067

M/JW

AUTHOR: Kuznetsov, N. M.; Oleynik, V. N.

ORG: Higher Naval Engineering Institute im. F. E. Dzerzhinskiy, Leningrad (Vyssheye voyennomorskoye inzhenernoye uchilishche)

TITLE: Use of the theory of thermodynamic similarity for the generalization of experimental data on the heat transfer of boiling organic coolants.

SOURCE: Inzhenerno-fizicheskiy zhurnal, v. 10, no. 1, 1966, 64-67

TOPIC TAGS: coolant, heat transfer, thermodynamic property, heat transfer coefficient

ABSTRACT: The authors demonstrate how the basic concepts in the theory of thermodynamic similarity may be applied for the generalization of experimental data on the heat transfer of boiling fluids. The following formula is proposed:

$$\alpha = 190 \frac{p_k^{1/4}}{T_k^{1/4} M^{1/4}} \left( \frac{p}{p_k} \right)^{0.1} \left[ 1 + 4.65 \left( \frac{p}{p_k} \right)^{1.16} \right] q^{1/3}. \quad (1)$$

The experimental data of the authors on the boiling of a diphenyl mixture (DPM) and mono-isopropyldiphenyl (MIPD) in a tube and annular ducts of a natural-circulation circuit at pressures of  $10^6 - 8 \cdot 10^6 \text{ n/m}^2$  and thermal loads of  $50 \cdot 10^3 - 380 \cdot 10^3 \text{ w/m}^2$  were compared with the

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UDC: 536.248.2 + 536.24

ACC NR: AP6003585

formula (1). The results showed a distinctly appreciable deviation between the theoretical and experimental data in the heat transfer coefficient values. The deviation of the results and reasons for the deviation are discussed. It is concluded that the formula obtained makes it possible to calculate the heat transfer coefficients during the boiling of organic coolants which are thermodynamically similar to DPM and MIPD on the basis of information on the critical parameters of a boiling fluid and its molecular weight. Orig. art. has: 9 formulas and 2 figures.

SUB CODE: 11, 20 / SUBM DATE: 16Feb65 / ORIG REF: 004

Card

2/2

MGS

L 2124-66 EWT(1)/ETC/EPF(n)-2/ENG(m)/EPA(w)-2 IJP(c) AT  
 ACCESSION NR: AP5021900 UR/0207/65/000/004/0010/0020

AUTHOR: Kuznetsov, N. M. (Moscow); Rayzer, Yu. P. (Moscow)

TITLE: Electron recombination in a plasma expanding in vacuum

SOURCE: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 4, 1965, 10-20

TOPIC TAGS: plasma, ionization, recombination, ionization degree, recombination coefficient, triple collision

ABSTRACT: In an earlier theoretical work by one of the authors (Rayzer, Yu. P. On the residual ionization of a gas expanding in vacuum. ZhETF, 37, 2, 1959, 580), photorecombination and 3-body recombination processes occurring in a gas cloud expanding in vacuum were briefly investigated. This study is now extended and reviewed in the light of theoretical and experimental data recently published in the Soviet Union and in the West. It is shown that, contrary to the findings of the earlier work, if the expanding gas cools rapidly, recombination does not stop, but diminishes infinitely. Because the cooling of the

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L 2124-66

ACCESSION NR: AP5021900

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gas is in turn an effect of heat liberation during recombination, the process must be described by a system of equations in which kinetics and energy are related to unknown time functions. The comparison of photorecombination coefficients and recombinations due to triple collisions indicates that at excessively small electron densities, the latter collisions prevail. From then on neither photorecombination nor triple collisions (with atoms being the third particles) play any part. When the deactivation of a highly excited atom takes place rapidly when compared to the speed of the change of electron density and temperature, the recombination energy is liberated immediately after the electron capture by the ion. Only this part of the recombination energy turns into heat, which is transferred to the electrons during the deactivation of excited atoms by second-kind collisions. If the gas is transparent, the remaining part is almost completely lost. Orig. art. has: 25 formulas and 2 figures. [ZL]

ASSOCIATION: none

SUBMITTED: 11May65

ENCL: 00

SUB CODE: NP,ME

NO REF SOV: 006

OTHER: 004

ATD PRESS: 417

Card 2/2

KUZNETSOV, N.M.

Interrelation between the vibrational relaxation and dissociation  
of diatomic molecules, Dokl. AN SSSR 164 no.5:1097-1100 0 '65.

(MIRA 18:10)

1. Institut khimicheskoy fiziki AN SSSR. Submitted March 27, 1965.

L 9548-66 EWT(1)/ETC/ENG(m)/ETC(m) JW

ACC NR: AP6000210

SOURCE CODE: UR/0056/65/049/005/1526/1531

44,55  
AUTHOR: Kuznetsov, N. M.

44  
B  
ORG: Institute of Chemical Physics, Academy of Sciences SSSR, (Institut khimicheskoy fiziki AN SSSR)

TITLE: Deformations and gas dynamic discontinuities in pulse transformation of metastable substances

SOURCE: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 49, no. 5, 1965, 1526-1531

21,44,55  
TOPIC TAGS: detonation, condensation, explosion, thermodynamics

ABSTRACT: An analysis was made of the thermodynamic conditions under which a substance in a metastable state can be transformed into the equilibrium state by a detonation process. The analysis was based on the concept that a metastable substance is basically similar to an explosive so that a Hugoniot curve can be used in studying the problem. Formulas for the volume change by isobaric and isentropic transition from metastable to equilibrium conditions were derived and crystallization of a sub-cooled liquid and condensation shock in a supersaturated vapor were considered. In phase transformations, a detonation-like phase transformation with possible overcompression or a slow phase transformation which propagates on the surface of the sub-

Card 1/2

ACC NR: AP6000210

stance in the metastable phase only may be analogous to slow deflagration or detonation processes. Orig. art. has: 8 formulas and 2 figures. [PV]

SUB CODE: 21, 07/ SUBM DATE: 02Jun65/ ORIG REF: 011/ OTH REF: 004/  
ATD PRESS: 4157

*bet*  
Card 2/2

L 33030-66 EWT(m)/EWP(1) RM

ACC NR: AP6014399

SOURCE CODE: UR/0096/66/000/001/0070/0071

AUTHOR: Kuznetsov, N. M. (Doctor of technical sciences, Professor); 21  
Burakov, B. A. (Candidate of technical sciences) B

ORG: Higher Naval Engineering School im. F. E. Dzerzhinskiy (Vyssheye voenno-morskoe inzhenernoye uchilishche)

TITLE: Investigation of critical heat fluxes in the boiling of diphenyl<sup>1</sup> and diphenyl oxide in a large volume

SOURCE: Teploenergetika, no. 1, 1966, 70-71

TOPIC TAGS: heat flux, boiling, organic oxide

ABSTRACT: The article gives the results of an experimental investigation of critical heat fluxes in the boiling of diphenyl and diphenyl oxide in a large volume, over a range of pressures from atmospheric up to the critical. The appearance of the boiling crisis was studied in vertical tubes made of Type 1Kh18N9T stainless steel, with a diameter of 6/4 mm and a length from 150 to 300 mm, located along the axis of a cylindrical drum with a diameter of 180 mm and a length of 800 mm, filled with heat transfer medium, diphenyl or diphenyl oxide. The experimental results are shown in a figure. It can be seen from

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UDC: 662.987.547.62.001.45

L 33030-66

ACC NR: AP6014399

the figure that the nature of the dependence of the critical heat loads on the pressure agrees qualitatively with the experimental data for water. Quantitatively, the heat loads for the boiling of the organic heat transfer media are approximately five times less than for water. Orig. art. has: 1 formula and 1 figure.

SUB CODE: 07, 20/ SUBM DATE: none/ ORIG REF: 004/ OTH REF: 001

Card 2/200

L 22357-66 EWT(1)/EWA(h)

ACC NR: AP6013259

SOURCE CODE: UR/0413/66/000/008/0049/0049

INVENTOR: Abramtsev, Ye. P.; Kuznetsov, N. M.; Loshkarev, F. A.

31

ORG: none

B

TITLE: Motor-type time relay. Class 21, No. 180698 [announced by the Kuznetsk Scientific Research Institute of Coal Beneficiation (Kuznetskiy nauchno-issledovatel'skiy institut ugleobogashcheniya)]

SOURCE: Izobreteniya, promyshlennyye obraztsey, tovarnyye znaki, no. 8, 1966, 49

TOPIC TAGS: time relay, photoelectric cell

ABSTRACT: This Author Certificate introduces a motor-type time relay containing an illuminator, photoelements connected with the object control circuit, and a programming

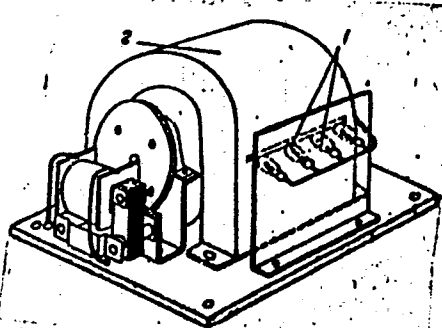


Fig. 1. Motor-type time relay

1 - Illuminators; 2 - programming element.

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UDC: 621.318.563.5

L 22357-66

ACC NR: AP6013259

element which shifts between the illuminator and the photocells (see Fig. 1). In order to improve the reliability of relay operation, the programming element is designed in the form of a transparent rotating cone. Inside the cone are photo-resistors and on its surface is a punched tape. The illuminator is fitted with a reflector designed in the form of a parabolic mirror which covers the luminous slot. Orig. art. has: 1 figure. [DW]

SUB CODE: 09/ SUBM DATE: 23Oct62/ ATD PRESS: 4241

Card 2/2000

45603-66 ENT(1)/ENT(M)/ENT(1) LSP(c) 00/00/00  
ACC NR: AP6021937 (N) SOURCE CODE: UR/0143/66/000/003/0114/0118

AUTHOR: Kuznetsov, N. M. (Doctor of Technical Sciences); Oleynik, V. K. (Engineer)

ORG: Higher Naval Engineering Order of Lenin School im. F. E. Dzerzhinskiy,  
Leningrad (Vysheye voyenno-morskoye inzhenernoye uchilishche)

TITLE: Heat transfer to an organic heat carrier in annuli

SOURCE: IVUZ. Energetika, no. 3, 1966, 114-118

TOPIC TAGS: heat transfer, heat carrier, Reynolds number, Nusselt number, Prandtl number, fluid viscosity

ABSTRACT: The heat transfer to a diphenyl mixture was studied because there are no published data on heat transfer to organic heat carriers in annuli. The heat transfer was studied in annuli ranging in width from 1.5 to 6 mm and in a round tube with a diameter of 17 mm. The data obtained made it possible to determine the effect of geometric dimensions of annuli on heat transfer and to set up a criterion formula. The experimental data on the heat transfer to a diphenyl mixture in annuli are in good agreement with the criterion formula. The experimental data on heat transfer to a diphenyl mixture in round tubes are in good agreement with the data of other scientists and can be described by the following criterion formula

$$Nu = 0.027 Re^{0.8} Pr^{0.36} \frac{\mu}{\mu_w}^{0.11}, \text{ where } Nu, Re, \text{ and } Pr \text{ are the Nusselt,}$$

Card 1/2

• L 45603-66

ACC NR: AP6021937

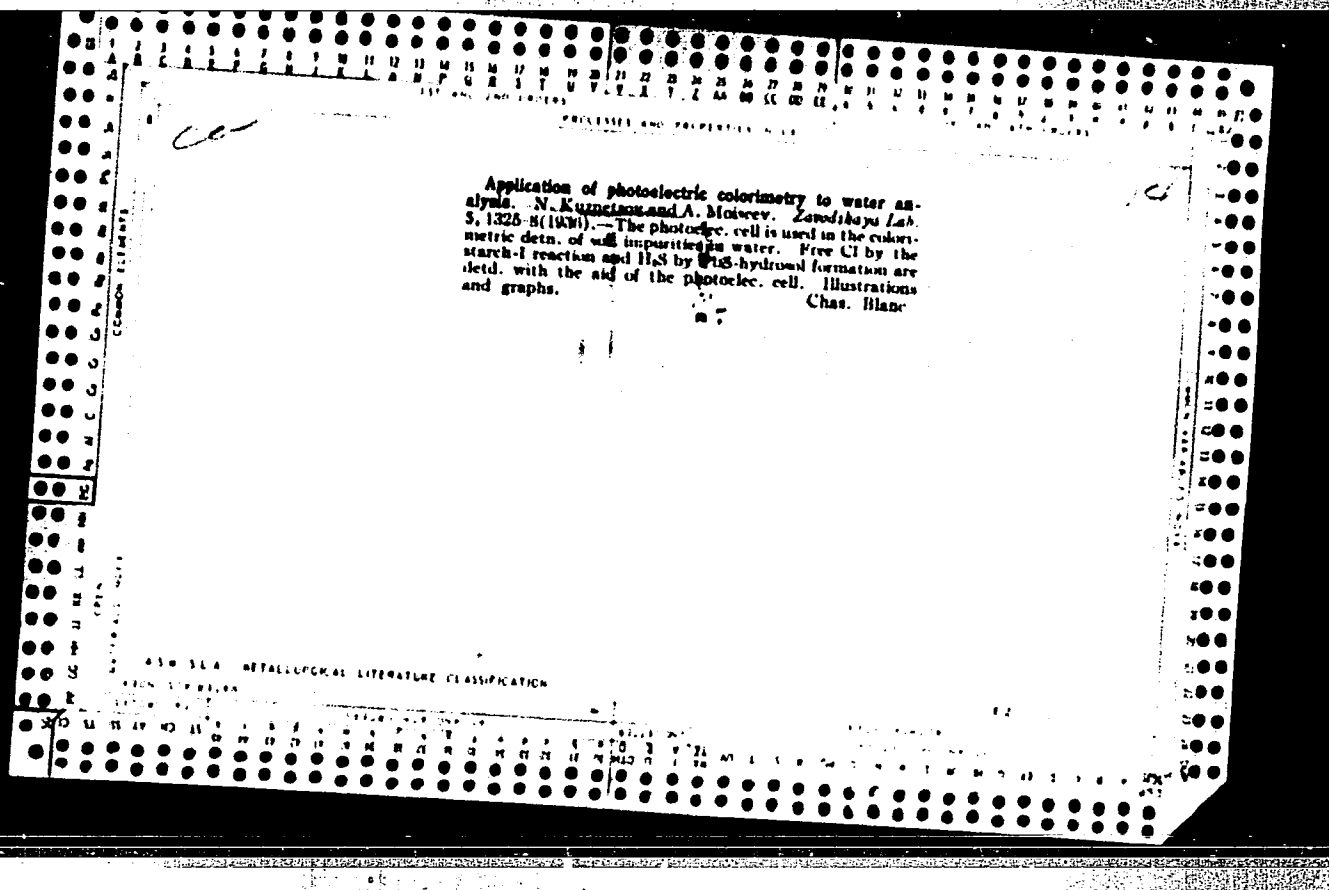
Reynolds, and Prandtl numbers, respectively, and  $\mu$  and  $\mu_w$  are fluid viscosity and fluid viscosity at temperature of wall of inner tube, respectively. Orig. art. has 3 figures, 1 table, and 7 formulas.

SUB CODE: 20/ SUBM DATE: 15Feb65/ ORIG REF: 006/ OTH REF: 008

Card 2/2 *plw*

[illegible]

1ST AND 2ND ORDERS																										3RD AND 4TH ORDERS																									
1ST ORDER													2ND ORDER													3RD ORDER													4TH ORDER												
1ST ORDER													2ND ORDER													3RD ORDER													4TH ORDER												
<p>CA</p> <p>16</p> <p>Alcohol. A. P. Berenshtein and N. M. Kuznetsov.              Russ. 20,727, Nov. 30, 1934. The waste from starch              manuf., such as potato pulp, is heated to 80° to avoid              saccharification and malt is added and fermentation con-              ducted in the usual manner.</p> <p>ALCOHOL. DETAILURICAL LITERATURE CLASSIFICATION</p>																																																			



1ST AND 2ND SERIES										3RD AND 4TH SERIES									
PROCESSES AND PROPERTIES INDEX																			
<p>DA</p> <p>Improvements in laboratory practice. N. Kuznetsov. <i>Spiris-Vedichnaya Press</i>. 16, No. 10, 31-3(1939).— Suggestions are offered for improved operation of control labs. in the alc. industry, and for lab. assistance with factory problems. 49, 105.</p> <p>Julian P. Smith</p>										16									
<p>ASS. S.L.A. METALLURGICAL LITERATURE CLASSIFICATION</p>																			
<p>FROM DIVISION</p>										<p>TO DIVISION</p>									
<p>FROM DIVISION</p>										<p>TO DIVISION</p>									

137 AND 138 CROSS										140 AND 139 CROSS									
PROCESS AND PROPERTIES INDEX																			
CA		<p>Ways in which distillery production schedules can be modernized. N. Kussak. <i>Spirits &amp; Schmeys Prom.</i> 17, No. 8, 3-8(1940).—Improvement of mash prep., yeast culturing, fermenting and dist. are suggested, and illustrated with drawings of eqpt. <span style="float: right;">16</span></p> <p style="text-align: right;">Jules F. Smith</p>																	
<p>ASH-SLA METALLURGICAL LITERATURE CLASSIFICATION</p>																			
137 AND 138 CROSS										140 AND 139 CROSS									
137 AND 138 CROSS										140 AND 139 CROSS									

1ST AND 2ND COORDS										3RD AND 4TH COORDS									
PROCESS AND PROPERTIES INDEX																			
<p>CA</p> <p>Technological regime in alcohol plants. N. Kuksinov and P. Rezin. <i>Pishchevaya Prom.</i> 1, No. 3, 3-5(1941). - A review of technological progress in the Soviet alc. industry. S. Gottlieb</p> <p>16</p>																			
ASB-51.4 METALLURGICAL LITERATURE CLASSIFICATION																			
1ST COORDS										2ND COORDS									
1ST COORDS										2ND COORDS									

KUZNETSOV, N.N.

2

The hot processing of potatoes and grains [for mash].  
 N. M. Kuznetsov (All-Union Sci. Research Inst. Spiritous  
 Ind., Kiev): *Spirtoyny Prom.* 20, No. 1, 8-10 (1954). --  
 Potatoes, oats, rye, millet, barley, maize, or wheat (187-100  
 kg. per cu.m. of digestion space) is mashed with 2.8-3.5 l.  
 of water per kg. of raw material to give a mash contg. 15.5-  
 17.0% dry matter. The amount of  $H_2O$  required depends  
 on the kind of raw material and on its starch content. Pres-  
 sures (4-6 atm.) and the times of application (50-95 min.)  
 too are functions of the material used. The finished mash  
 is sterilized by adding 20 ml. of a 40%  $CH_3O$  soln. per deca-  
 liter. The temp. at the end of saccharification is 57-8°;  
 after addn. of malt, 48-50°. This manner of preparation  
 leaves very little starch undissolved; it also breaks down  
 much of the amino-acid content. A schematic drawing of  
 the app. is presented. Werner Jacobson

**KUZNETSOV, N.M.**

**For technical progress in the alcohol, liqueur and vodka industry. Spirt.prom.21 no.2:1-3 '55. (MLRA 8:10)**

- 1. Glavnoye upravleniye spirtnoy promyshlennosti  
(Distilling industries)**

ARONOVICH, Vladimir Veniaminovich, kandidat tekhnicheskikh nauk; KUZNETSOV, N.M., retsenzent; SKOBLO, D.I., retsenzent; SEREGIN, P.V., spetsredaktor; MASLOVA, Ye.F., redaktor; GOTLIB, E.M., tekhnicheskii redaktor

[Instruments and regulators in the distilling industry] Pribory i regulatory spirtovoi promyshlennosti. Moskva, Pishchepromizdat, 1956. 300 p. (MIRA 9:12)

(Distilling industries--Equipment and supplies)

KUZNETSOV, N.M.

Means for increasing the productivity of grain preparation  
sections in continuous heat processing of starchy raw materials.  
Spirt. prom. 22 no.3:5-8 '56. (MLRA 9:11)

1. Ministerstvo promyshlennosti prodovol'stvennykh tovarov  
SSSR.

(Grain milling)

ASHKINUZI, Z.K., rukovoditel' brigady; BERENSHTEYN, A.F.; KUZNETSOV, M.M.;  
RABINOVICH, B.D.; CHATSKIY, P.A.; SIDORENKO, D.P.; KOVALEVSKAYA,  
A.I., red.; YAROV, E.M., tekhn.red.

[Continuous thermal processing of starchy raw materials] Nepre-  
ryvnaia teplovaia obrabotka krakhsalistogo syr'ia. Moskva, Pishche-  
promizdat, 1957. 59 p. (MIRA 12:4)

1. Kiyevskiy filial Vsesoyuznogo nauchno-issledovatel'skogo insti-  
tuta spirtovoy promyshlennosti (for Ashkinuzi).  
(Distilling industries)

ХУЗ ВЕ 1500, В.М.

KOMAROV, Avramiy Fedorovich; KOLOSKOV, Sergey Pavlovich; KUZNETSOV, N.M.,  
spetsredaktor; KHMEL'NITSKAYA, Kh.Z., redaktor; SEREGIN, P.V.,  
kandidat tekhnicheskikh nauk, retsentsent; KISINA, Ye.I., tekhnicheskiiy redaktor.

[Mechanisation of labor consuming operations in distilleries]  
Mekhanisatsiia trudoemkikh rabot na spirtovykh zavodakh. Moskva, Pishchepromizdat, 1957. 173 p. (MLRA 10:6)

(Distilling industries)

KUZNETSOV, N.M.

Alcohol industry. Spirt.prom. 23 no.7:1-10 '57.  
(Alcohol)

(MIRA 11:1)

YAROVENKO, Viktor L'vovich; KUZNETSOV, N.M., retsenzent; MALCHENKO, A.L.,  
spetsred.; KOVALEVSKAYA, A.I., red.; TARASOVA, N.M., tekhn.red.

[Continuous alcohol fermentation] Potochnyi metod spirtovogo  
brozheniia. Moskva, Pishchepromizdat, 1958. 127 p. (MIRA 12:4)  
(Fermentation)

GRYAZNOV, Vyacheslav Pavlovich, kand. tekhn. nauk; ZMLIKMAN, Grigoriy  
Fedorovich, kand. tekhn. nauk; KUZNETSOV, N.M., inzh., retsenzent;  
PERTMAN, G.I., kand. tekhn. nauk, spetsred.; RUSH, G.S., red.;  
CHEBYSHOVA, Ye.A., tekhn. red.

[Calculation, storage and transportation of distilled spirits]  
Uchet, khranenie i transportirovka spirta. Moskva, Pishchepromizdat,  
1958. 179 p. (MIRA 11:7)

(Alcohols)

KUZNETSOV, N.M.

Processing sugar beets at alcohol plants. Spirt. prom. 24  
no.7:4-6 '58. (MIRA 11:11)  
(Sugar beets) (Alcohol)

STABNIKOV, Vsevolod Nikolayevich; KUZNETSOV, N.M., retsenzent;  
KAFAROV, V.V., retsenzent; KOVALEVSKAYA, A.I., red.;  
KISINA, Ye.I., tekhn. red.

[Distillation and rectification of alcohol] Peregonka i  
rektifikatsiia spirta. Moskva, Pishchepromizdat, 1962.  
503 p. (MIRA 15:11)  
(Distillation) (Distillation apparatus)

PUSHKIN, Nikita Ivanovich; BUZNIK, V.M., doktor tekhn. nauk,  
prof., retsenzent; GASANOV, G.A., dots., retsenzent;  
KUZNETSOV, N.M., nauchn. red.; SMIRNOV, Yu.I., red.

[Marine steam boilers; theory and calculations] Sudovye  
parovye kotly; teoriia i raschety. Leningrad, Sudo-  
stroenie, 1965. 510 p. (MIRA 18:7)

ACC NR: AP7000049

SOURCE CODE: UR/0207/66/000/005/0042/0049

AUTHOR: Kuznetsov, N. M. (Moscow)

ORG: none

TITLE: Kinetics of electron recombination in molecular gas propagating into a vacuum

SOURCE: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 5, 1966, 42-49

TOPIC TAGS: electron recombination, space vacuum, high altitude explosion,  
*chemical explosion*

ABSTRACT: Kinematics of a diatomic and multiatomic gas propagating into a vacuum is considered. Recombination, dissociation and charge exchange reactions with account of the negative ions are included in the derived rate formulas. This study is modeled on the monoatomic theory of explosive gas flow and the similar and distinguishing characteristics of the two theories are enumerated. The time-dependent concentrations of charged particles in the ionized nonequilibrium gas are expressed by quadratures for known reaction rates. In addition, the instant of the departure of electrons and negative and positive ions from equilibrium is obtained. It is shown that even in cases where reaction rates are known within an order of magnitude, a good prediction of the equilibrium state is possible since departure from equilibrium is relative to the positive ions, while electrons and negative ions remain in equilibrium considerably longer. Orig. art. has: 1 figure, 35 formulas.

SUB CODE: 20/

SUBM DATE: 04Mar66/

ORIG REF: 009/

OTH REF: 006

Card 1/1

AP6036432

(N)

SOURCE CODE: UR/0096/66/000/012/0057/0059

AUTHOR: Kuznetsov, N. M. (Doctor of Technical Sciences, Professor); Oleynik, V. N. (Engineer)

ORG: Naval College of Engineering im. Dzerzhinskiy (Vysshoye Voyenno-Morskoye Inzhenernoye uchilishche)

TITLE: Study of heat transfer during boiling of organic heat carriers

SOURCE: Teploenergetika, no. 12, 1966, 57-59

TOPIC TAGS: heat transfer coefficient, heat carrier, boiling

ABSTRACT: Heat transfer was studied experimentally during boiling of a diphenyl mixture and monoisopropylbiphenyl in a tube and in annular channels with natural circulation, at pressures of  $10^5 - 8 \times 10^5$  n/m<sup>2</sup> and thermal loads of  $50 \times 10^3 - 470 \times 10^3$  W/m<sup>2</sup>. In the case of the biphenyl mixture, all the experiments showed that the heat transfer coefficient is independent of the velocity of the natural circulation, is proportional to the thermal load, and increases with the pressure. The experimental points are described by the empirical formula  $\alpha = 1.28q^{0.7}p^{0.24}$ . In the case of monoisopropylbiphenyl, the heat transfer coefficient is independent of the circulation velocity and of the geometrical dimensions of the heating surface; as in the case of the biphenyl mixture, it depends only on the thermal load and pressure of

Card 1/2

UDC: 536.24.1.662.987.661.7.001.5

ACC NR: AP6036432

the boiling liquid. It is expressed by the formula  $\alpha = 1.23q^{0.7}p^{0.19}$ . Orig. art. has: 4 figures, 1 table and 2 formulas.

SUB CODE: 20/ SUBM DATE: none/ ORIG REF: 007

Card 2/2

36055-66

ACC NR: AP6014076

SOURCE CODE: UR/0294/66/004/002/0282/0284

AUTHOR: Kuznetsov, N. M.

ORG: Institute of Chemical Physics, AN SSSR (Institut khimicheskoy fiziki, AN SSSR)

TITLE: Vibrational relaxation in a recombining expanding gas

SOURCE: Teplofizika vysokikh temperatur, v. 4, no. 2, 1966, 282-284

TOPIC TAGS: vibration relaxation, gas relaxation, *gas dissociation*, *gas recombination*

ABSTRACT: The process of vibrational relaxation of a diatomic molecule in the presence of dissociation or recombination can be described by the system of equations

$$\frac{dE^*}{dt} = \frac{E - E^*}{\tau} + (D - E^*) \frac{da^*}{a^* dt}, \quad (1)$$

$$\frac{da^*}{dt} = -\frac{1}{2} \frac{dp^*}{dt} - (\beta^*)^2 E^* K^* - \alpha^* K^* a, \quad (2)$$

where  $E^*$  is the vibrational energy of the molecule, which is a function of the temperature of the vibrations  $T^*$ ;  $E$  is the equilibrium value of  $E^*$ ;  $D$  is the energy of dissociation;  $\alpha^*$  is the ratio of the number of

UDC: 536.411.536.782.537.568.539.194

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ACC NR: AP6014076

molecules to the number of molecules in the undissociated gas;  $t$  is the time;  $K^+$  and  $K^-$  are constants of the rates of dissociation and recombination;  $\beta^* = 2(1-\alpha^*)$  is the relative concentration of atoms;  $S$  is the ratio of the density of the gas to its normal density;  $\tau$  is the time of the vibrational relaxation. The article proceeds to a mathematical solution of the problem on the above premises. Orig. art. has: 14 formulas.

SUB CODE: 20/ SUBM DATE: 27Mar65/ ORIG REF: 003/ OTH REF: 003

Card 2/2 vmb

L 25671-66 ENT(l)/EWP(m)/EWT(m)/ETC(f)/EAG(m)/EWA(d)/T/EWA(h)/ETC(m)-6/EWA(l)  
 ACC NR: AM6008326 IJP(c) WW/JW/ Monograph UR/  
 JWD/WE/RM

Kuznetsov, Nikolay Mikhaylovich

62  
 B+1

Thermodynamic functions and shock adiabatic curves of air at high temperatures (Termodinamicheskiye funktsii i udarnyye adiabaty vozdukha pri vysokikh temperaturakh) Moscow, Izd-vo "Mashinostroyeniye", 1965. 462 p. biblio., tables. Errata slip inserted. 2000 copies printed.

TOPIC TAGS: atmospheric physics, mathematical table, thermodynamic function, atmospheric density, atmospheric ionization, electromagnetic radiation

PURPOSE AND COVERAGE: This book is intended for specialists engaged in engineering calculations in the fields of supersonic aerodynamics and the physics of explosion phenomena; it should also be useful to students in institutions of higher learning. The book contains tables of thermodynamic functions for air and electromagnetic radiation, concentrations of components of air, ionization equilibrium constants for atoms and all ions of nitrogen, oxygen, and argon, shock adiabatic curves, and mean free paths of equilibrium electromagnetic radiation. All tables were compiled from computations and do not contain data from

Card 1/3

UDC: 536.70/.79.001.24(083.3): 546.217

L 25671-66

ACC NR: AM6008326

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other sources, except essential initial data. They cover temperatures ranging from 200 to  $3 \times 10^6$  °K and densities from  $10^{-6}$  to  $30 \rho_0$  (where  $\rho_0$  is the normal density of air). The text includes essential explanations of the tables, procedures for computations, and initial experimental and theoretical data.

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SUB CODE: 04/ SUBM DATE: 03Aug65/ ORIG REF: 014/ OTH REF: 012

Card 3/3 dca

KUZNETSOV, N.M., podpolkovnik meditsinskoy sluzhby.

Scientific Conference of Physicians of the Moscow Military  
District. Voen.-med. zhur. no. 1:93-94 Ja '66 (MIRA 19:2)

KUZNETSOV, N.M.; OLEJNIK, V.N.

Use of the theory of thermodynamic similarity in generalizing the experimental data on the heat transfer from boiling organic heat transfer agents. Inzh.-fiz. zhur. 10 no.1:64-67 Ja '66.

(MIRA 19:2)

1. Vyssheye voyenno-morskoye inzhenernoye uchi'ishche im. Dzerzhinskogo, Leningrad. Submitted February 16, 1965.

KUZNETSOV, Nikolay Mikhaylovich; SILENCHUK, S.M., red.

[Thermodynamic functions and shock adiabats of the air  
at high temperatures] Termodinamicheskie funktsii i udarnye  
adiabaty vozdukha pri vysokikh temperaturakh. Moskva, Ma-  
shinostroenie, 1965. 462 p. (MIRA 19:1)

KUZNETSOV, N.N.

Calculating a flow in a semibounded cylindrical tube with a piston.  
Sbor. rab. VTS MGU 4:255-260 '65. (MIRA 18:9)

USSR/Human and Animal Morphology - Digestive System

Q-3

Abs Jour : Referat Zhur - Biologii, No 16, 1957, 70339

Author : Kusnetsov, N.N.

Title : Histological Structure and Some Properties of Peritoneal Plates as Surgical Material.

Orig Pub : Tr. Kishenevsk. med. in-ta, 1955, 4, 127-137

Abstract : Dry plates of serous membrane of the appendix of horned cattle was kept 2 minutes in 70 deg. alcohol, after which it was studied by staining procedures. The histological structure of the plates was preserved: cellular elements, collagenous and elastic fibers, blood vessels etc. Impregnation with silver after Bil'shovsky-Gross method revealed nerve fibers. The plates preserved thru dehydration retain their strength; to tear them requires 6-7kg per 1 sq.mm. of perpendicular section l. After being kept in physiol. solution the plates acquire considerable elasticity, which reaches a maximum at

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USSR/Human and Animal Morphology - Digestive System

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Q-3

Abs Jour : Referat Zhur - Biologii, No 16, 1957, 70339

boiling of autoclaving, when the maximum pressure of 16.5 kg per sq.mm is achieved by perpendicular section of the superficial layers. The use of these plates is recommended for plastic repair of superficial burns, tropical ulcers etc. The plates are sterilised by keeping it in formalin for two-three days, following it by washing in Physiol.solu; autoclaving or boiling can be also used.

Card 2/2

- 67 -

KUZNETSOV, N. N.

"Method for the introduction of antibiotics into the animal husbandry of Kurgan Oblast"

Veterinariya, Vol. 38, No. 5, 1961

Kuznetsov, N. N. - Head of the Veterinary Department of Kurgan Oblast' Agricultural Administration

KUZNETSOV, N.N. (Moskva)

Hyperbolic systems of linear equations with discontinuous  
coefficients. Zhur.vych.mat.i mat.fiz. 3 no.2:299-313 Mr-Apr '63.  
(MIRA 16:4)  
(Differential equations, Linear)

L 12743-63

BDS/EWT(d)/FCC(w) AFFTC IJP(C)

S/208/63/003/002/006/014

51

AUTHOR: Kuznetsov, N. N.

TITLE: Hyperbolic systems of linear equations with discontinuous coefficients

PERIODICAL: Zhurnal vychislitel'noy matematiki i matematicheskoy fiziki, v. 3, no. 2, 1963, 299-313

TEXT: The paper investigates the hyperbolic system of linear equations of type

$$L(u) \equiv \frac{\partial u}{\partial t} + \frac{\partial Au}{\partial x} + Bu = f(t, x) \quad (1)$$

with coefficients A having discontinuities along certain lines, and having otherwise bounded derivatives. The author proves the uniqueness of the sectionally-continuous and sectionally-smooth solution for the Cauchy problem of the system (1). Solutions are joined along the coefficient-discontinuity lines using the conditions

$$[uD_k - Au] \equiv (u^- - u^+)D_k - (A^-u^- - A^+u^+) = 0 \quad (5)$$

where  $D_k = (\partial \chi_j / \partial t)_{t=t_k}$ ,  $(x = \chi_j(t))$ . A similar result can be obtained for the

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L 12743-63

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Hyperbolic systems of linear ....

the nondivergent system of equations

$$L_1(u) \equiv \frac{\partial u}{\partial t} + A \frac{\partial u}{\partial x} + Bu = f \quad (13)$$

provided the solutions join continuously at the discontinuity lines. The method, proposed by Gol'mgren is the same as the one used by S. K. Godunov (Ref. 1: Matem. sb., 1956, 40 (82), No. 4, 467-478) for the uniqueness investigation of the solution to the Cauchy problem of certain particular systems of two equations of the form (1). The author studied the uniqueness of equations of type (13) using the method of characteristics as presented in the paper by B. L. Rozhdestvenskiy (Ref. 2: Uspekhi matem. nauk, 1960, 15, no. 6 (96), 59-117).

SUBMITTED: March 29, 1962

Card 2/2

ACCESSION NR: APL039011

S/0055/64/000/003/0025/0030

AUTHORS: Kuznetsov, N. N.; Ch'i, Chung-t'ao

TITLE: Uniqueness theorem in the theory of hyperbolic quasilinear equations

SOURCE: Moscow. Universitet. Vestnik. Seriya 1. Matematika, mekhanika, no. 3, 1964, 25-30

TOPIC TAGS: hyperbolic equation, quasilinear equation, Cauchy problem, integral relation, Green formula, convexity, eigenvalue, eigenvector

ABSTRACT: The authors study, in the half-plane  $t \geq 0$ , the Cauchy problem for a hyperbolic system of quasilinear equations:

$$\frac{\partial u_i}{\partial t} + \frac{\partial \varphi_i(u, t, x)}{\partial x} = f_i(u, t, x), \quad u_i(0, x) = u_i^0(x), \quad i = 1, 2, \dots, n, \quad (1)$$

meaning the solutions of this problem in the generalized sense, namely, as functions satisfying not the differential equations (1) but integral relations, as a result of applying Green's formulas to them. Let  $\eta$  be a bounded, convex, closed region

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ACCESSION NR: APL039011

of the space  $(u_1, u_2, \dots, u_n)$ ,  $\gamma$  be the strip  $|x| < \infty$ ,  $0 \leq t \leq T$ , in the  $(t, x)$  plane, and  $M = U \times \gamma$ . They assume that  $u^0(x) \in U$  for any  $x$  and consider solutions  $u(t, x)$  of problem (1) in the strip  $\gamma$  such that  $u(t, x) \in U$  for all  $(t, x) \in \gamma$ . Let the functions  $\varphi(u, t, x)$  and  $f_i(u, t, x)$  be respectively twice and once continuously differentiable in their entire argument in  $M$ . With respect to the hyperbolic system of equations (1), they assume that the eigenvalues of  $\nu_1(u, t, x)$  of the matrix  $(\partial \varphi_j / \partial u_g)$  are real and distinct, so that  $\nu_1 > \nu_{i+1}$  everywhere in  $M$ .  $A(u, v, t, x)$  denotes a matrix defined by

$$\varphi(u, t, x) - \varphi(v, t, x) = A(u, v, t, x)(u - v). \quad (2)$$

It can be assumed to be continuously differentiable in  $M_1 = U \times U \times \gamma$ . The matrix  $A$  is assumed to be chosen so that 1) its eigenvalues  $\lambda_1(u, v, t, x)$  are real and distinct in  $M_1$ , and

$$|\lambda_1(u, v, t, x) - \lambda_1(u, u, t, x)| |\lambda_1(u, v, t, x) - \lambda_1(v, v, t, x)| < \rho \quad (3)$$

Cord2/4

ACCESSION NR: AP4039011

(noting that  $\lambda_1(u, u, t, x) = \nu_1(u, t, x)$ ); 2) for each  $u, v$  from  $\mathcal{U}$  such that the vectors  $u-v$  and  $c_k(u, v, t, x)$  are co-linear ( $c_1$  are eigenvectors of the matrix  $A$ ), and for any  $w \in \mathcal{U}$

$$\lambda_{k+1}(u, w, t, x) < \lambda_k(u, v, t, x) < \lambda_{k-1}(u, w, t, x); \quad (4)$$

3) for each  $u, v$  from  $\mathcal{U}$  and  $w, z$  from  $\mathcal{U}$  such that  $u-w \sim c_k(u, w, t, x)$ ,  $v-z \sim c_s(v, z, t, x)$ , where  $s$  is one of the numbers  $k-1, k, k+1$ , the vectors  $c_1(u, v, t, x), c_2(u, v, t, x), \dots, c_p(u, v, t, x), c_{p+1}(w, z, t, x), \dots, c_n(w, z, t, x)$  are linearly independent for  $p = k-1, k$ . The authors consider piecewise-continuous and piecewise-smooth initial functions  $u^0(x)$  and piecewise-continuous solutions of problem (1) which have bounded derivatives in the regions between the lines of discontinuity. The line of discontinuity  $x = \psi(t)$  in the solution  $u(t, x)$  is called admissible if there exists a number  $k$  such that

$$\nu_k(u^+, t, x) < D < \nu_k(u^-, t, x), \quad (5)$$

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ACCESSION NR: AP4039011

where  $D = \psi'(t)$ ,  $u^\pm = u(t, \psi \pm 0)$ , and this line consists of a finite number of arcs on which  $k$  is constant. It is also assumed that distinct lines of discontinuity do not intersect at more than a finite number of points. Theorem: Under the above assumptions relating to the functions  $\varphi_1$  and  $f_1$ , problem (1) has, in the described class of functions, not more than one solution, all of whose lines of discontinuity are admissible. Orig. art. has: 10 formulas.

ASSOCIATION: Moskovskiy gosudarstvennyy universitet; Kafedra vychislitel'noy matematiki (Moscow State University, Department of Computer Mathematics)

SUBMITTED: 27Mar63

DATE ACQ: 09Jun64

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OTHER: 001

Card 4/4

ACCESSION NR: AP4037263

8/0208/64/004/003/0571/0576

AUTHOR: Kuznetsov, N. N. (Moscow)

TITLE: Uniqueness of the solution of a hyperbolic system of linear equations with discontinuous coefficients

SOURCE: Zhurnal vysshislitel'noy matematiki i matematicheskoy fiziki, v. 4, no. 3, 1964, 571-576

TOPIC TAGS: unique solution, hyperbolic linear equation, discontinuous coefficient, Cauchy problem, discontinuity line

ABSTRACT: The author proves uniqueness of the solution of the Cauchy problem for

$$\frac{\partial u}{\partial t} + \frac{\partial Au}{\partial x} + Bu = f, \quad (1)$$

in a certain region bounded from the left and the right, under the basic restrictions that all lines of discontinuity are admissible and that each of them consists of a finite number of segments, subject to certain conditions. Orig. art. has: 14 formulas and 2 figures.

ASSOCIATION: none

SUBMITTED: 11Jan63

DATE ACQ: 09Jun64

ENCL: 00

SUB CODE: MA

NO REF SOV: 001

OTHER: 000

Card 1/1

KUZNETSOV, N.N.

New method of angioplasty. Trudy Kish.gos.med.inst. 13:3-9 '60.  
(MIRA 16:2)

1. Kafedra gistologii Kishinevskogo gosudarstvennogo meditsinskogo  
instituta.

(BLOOD VESSELS—SURGERY)

KUZNETSOV, N.N.; SHCHETININA, Ye., red.; POLONSKIY, S., tekhn. red.

[New heteroperitoneal preparations for restorative surgery and tissue therapy; preserved plastic materials from the peritoneum of cattle] Novye geteroperitoneal'nye preparaty dlia vosstanovitel'-noi khirurgii i tkanevoi terapii; konservirovannyi plasticheskii material iz brinshiny krupnogo rogatogo skota. Kishinev, Gos.izd-vo "Kartia Moldoveniaske," 1961. 157 p. (MIRA 14:6)  
(TISSUE EXTRACTS)

KUZNETSOV, N.N.; SHCHETININA, Ye., red.; KURMAYEVA, T., tokhn.  
red.

[Heteroperitoneal preparations in experiment and in the  
clinic] Geteroperitoneal'nye preparaty v eksperimente i kli-  
nike. Kishinev, Kartia moldoveniaske, 1962. 154 p.  
(MIRA 16:1)

(PERITONIUM—TRANSPLANTATION)  
(REGENERATION (BIOLOGY))

KUZNETSOV, N.K.

State of the carbohydrate function of the liver after resection  
of different segments of the stomach and gastrectomy in cancer.  
(MIRA 15:3)  
Khirurgiia no.3:44-46 '62.

1. Iz 3-go khirurgicheskogo otdeleniya (nauchnyy rukovoditel' -  
doktor med.nauk Ye.A. Pechatnikova) Instituta khirurgii imeni  
A.V. Vishnevskogo (dir. - deystvitel'nyy chlen AMN SSSR prof.  
A.A. Vishnevskiy) AMN SSSR.  
(LIVER) (CARBOHYDRATE METABOLISM) (STOMACH--CANCER)  
(STOMACH--SURGERY)

KUZNETSOV, N.N., doktor med.nauk; PECHATNIKOVA, Ye.A.

Study of the functional state of the liver following resection of various segments of the stomach and gastrectomy for cancer. Khirurgiia no.8:96-101 Ag '62. (MIRA 15:8)

1. Iz Instituta khirurgii imeni A.V. Vishnevskogo (dir. - deystvitel'nyy chlen AMN SSSR prof. A.A. Vishnevskiy) AMN SSSR.  
(STOMACH--CANCER) (STOMACH--SURGERY) (LIVER)

KUZNETSOV, N.N.

Blood serum proteins and protein fractions in patients following resection of various segments of the stomach and gastrectomy for cancer. Lab. delo 8 no.3:36 Mr '62. (MIRA 15:5)

1. III khirurgicheskoye otdeleniye (nauchnyy rukovoditel' Ye.A. Pechatnikova) Instituta khirurgii imeni A.V.Vishneskogo AMN SSSR.  
(BLOOD PROTEINS) (STOMACH--CANCER)

KUZNETSOV, N.N.

Novocaine block as a method of pathogenetic therapy for gastric peptic ulcer. Sov.Med. 27 no.7:124-125 J1'63. (MIRA 16:9)

1. Iz Negatinskoy lineynoy bol'nitsy (glavnyy vrach V.G. Bogdanov) Moskovsko-Oksko-Volshskogo vodnogo otdela zdравo-okhraneniya.

(STOMACH—ULCERS) (NOVOCAINE)

KUZNETSOV, N.N.; PECHATNIKOVA, Ye.A., doktor med. nauk (Moskva, B-78,  
Sadovo-Spasskaya, d.21, kv. 178)

Functional state of the liver patients following radical  
surgery on the stomach. Vest. Khir. 91 no.10:105-107 0  
'63. (MIRA 17:7)

1. Iz Instituta khirurgii imeni A.V. Vishnevskogo (dir. - prof.  
A.A. Vishnevskiy) i Nagatinskoy lineynoy bol'nitsy Moskovsko-  
Oksko-Volzhskogo vodzdravotdela (glavnyy vrach - N.N. Kuznetsov).

KUZNETSOV, N.N.

Some liver functions in peptic ulcer and polyposis of the stomach.  
Khirurgiia 39 no.11:44-47 N '63.

(MIRA 17:11)

1. Iz Instituta khirurgii imeni A.V. Vishnevskogo (dir. - deystvitel'nyy chlen AMN SSSR prof. A.A. Vishnevskiy) i khirurgicheskogo otdeleniya Nagatinskoy lineynoy bol'nitsy (glavnyy vrach V.G. Bogdanov) Moskovsko-Oksko-Volzhskogo otdela vodnogo zdravookhraneniya.

16(1)

SOV/42-14-2-7/19

AUTHOR:

Kuznetsov, N.N.

TITLE:

On Some Asymptotic Properties of the Generalized Solution of the Cauchy Problem for a Quasilinear Equation of First Order

PERIODICAL:

Uspekhi matematicheskikh nauk, 1959, Vol 14, Nr 2, pp 203-210 (USSR)

ABSTRACT:

The author considers the equation

$$(1) \quad \frac{\partial v}{\partial t} + \frac{\partial A(v, t, x)}{\partial x} + B(v, t, x) = 0$$

already treated by Oleynik [Ref 2]. (1) is called of the type 1 if the solution independent of the initial conditions for  $t \rightarrow \infty$  has at most one non-vanishing point of discontinuity. If for  $t \rightarrow \infty$  all points of discontinuity vanish, then (1) is of the type 2. (1) belongs to the type 3 if the solution has more than one discontinuity not vanishing for  $t \rightarrow \infty$ . The paper contains 3 theorems. The first one formulates the necessary and sufficient conditions for the fact when the solution belongs to the types 1 - 3.

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On Some Asymptotic Properties of the Generalized.  
Solution of the Cauchy Problem for a  
Quasilinear Equation of First Order

SOV/42-14-2-7/19

Theorem 2: Let  $v(t, x)$  and  $\bar{v}(t, x)$  be generalized solutions of the equation of the second type

$$\frac{\partial v}{\partial t} + \frac{\partial A(v, t)}{\partial x} = \alpha(t)v + \psi(t, x),$$

which correspond to the bounded initial conditions  $v_0(x)$  and  $\bar{v}_0(x)$ . Then to every  $\epsilon > 0$  there exists a  $T(\epsilon)$  so that  $|v(t, x) - \bar{v}(t, x)| < \epsilon$  for  $t > T(\epsilon)$ .

Theorem 3 contains a similar assertion for equations of the first type.

The author thanks B.L. Rozhdestvenskiy for advice.

There are 6 references, 4 of which are Soviet, and 2 American.

SUBMITTED: December 4, 1958

Card 2/2

16(1)

AUTHORS: Kuznetsov, N.N. and Rozhdestvenskiy, B.L. SOV/42-14-2-8/19

TITLE: Construction of a Generalized Solution of the Cauchy Problem  
for a Quasilinear Equation

PERIODICAL: Uspekhi matematicheskikh nauk, 1959, Vol 14, Nr 2, pp 211-216 (USSR)

ABSTRACT: The present paper contains no essentially new results. The  
authors propose a somewhat simpler and more general method for  
the construction of the generalized solution of the equation

$$\frac{\partial u}{\partial t} + \frac{\partial \varphi(u, t, x)}{\partial x} = 0$$

treated already several times by Oleynik.

There are 2 figures, and 5 references, 4 of which are Soviet,  
and 1 German.

SUBMITTED: December 4, 1958

Card 1/1

16(1)

AUTHORS: Kuznetsov, N.N., and Rozhdnestvenskiy, B.L. SOV/20-126-3-7/69

TITLE: The Existence and Uniqueness of the Generalized Solution to Cauchy Problem for the Inhomogeneous Conservation Law

PERIODICAL: Doklady Akademii nauk SSSR, 1959, Vol. 126, No. 3, pp 486-489 (USSR)

ABSTRACT: For the equation

$$(1) \quad \frac{\partial u}{\partial t} + \frac{\partial \varphi(u, t, x)}{\partial x} = \psi(u, t, x)$$

the authors consider the Cauchy problem with the piecewise continuous and bounded initial function  $u_0(x)$ . Let  $u(t, x)$  be a

generalized piecewise smooth solution and  $F(t, x) = \int_0^x \psi(u(t, \xi), t, \xi) d\xi$ .

Then (1) can be represented in the form

$$\frac{\partial u}{\partial t} + \frac{\partial}{\partial x} [\varphi(u, t, x) - F(t, x)] = 0.$$

The continuous function

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